

# A Search for Rare Decays in the *TWIST* Muon Decay Spectrum

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## Outline

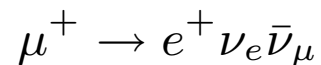
- *TWIST*
- Motivation for the Exotic Decay Search
- Methodology
- Results and Conclusions

## The *TWIST* experiment

### *T*riumf *W*eak *I*nteraction *S*ymmetry *T*est

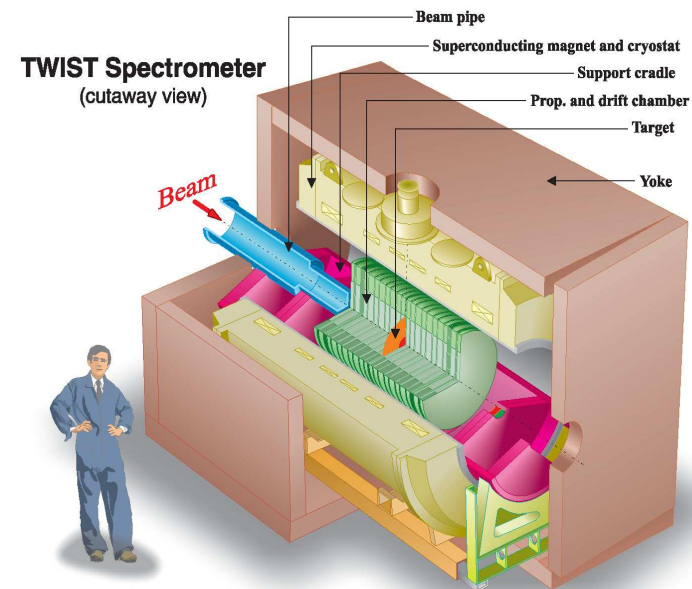
A collaboration of 40 members in Canada, Russia, and the United States.

- Tests the weak nuclear interaction through the process.



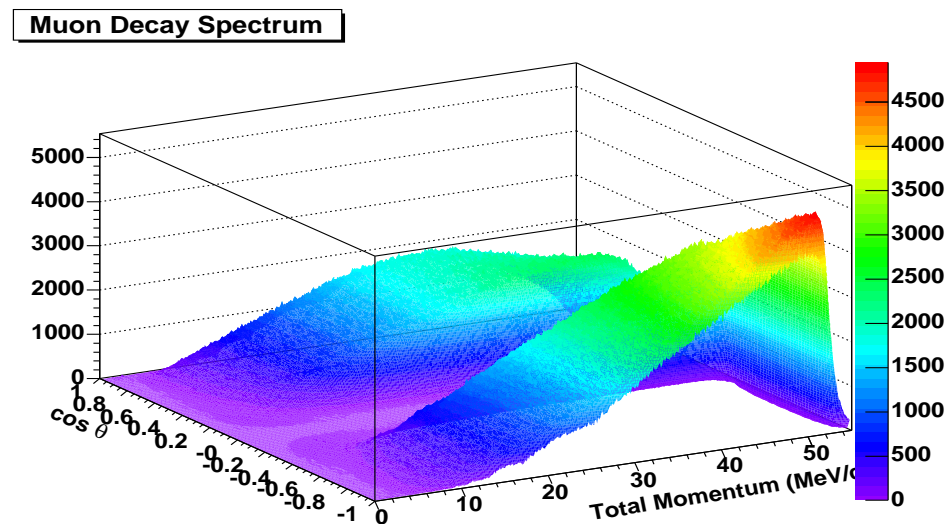
by measuring the momentum and angle of  $e^+$

- *TWIST* has produced a detailed measurement of the muon decay spectrum.
- Goal of *TWIST* is to measure the Michel parameters describing the decay spectrum to an unprecedented accuracy



## Motivation

- Large statistical sample of muon decay events allows for a more comprehensive search for rare (or forbidden) muon decays than any previous search.
- No strong argument currently exists for the forbidding lepton flavor violating processes.



## Search for Two Body Decays

Target decay is

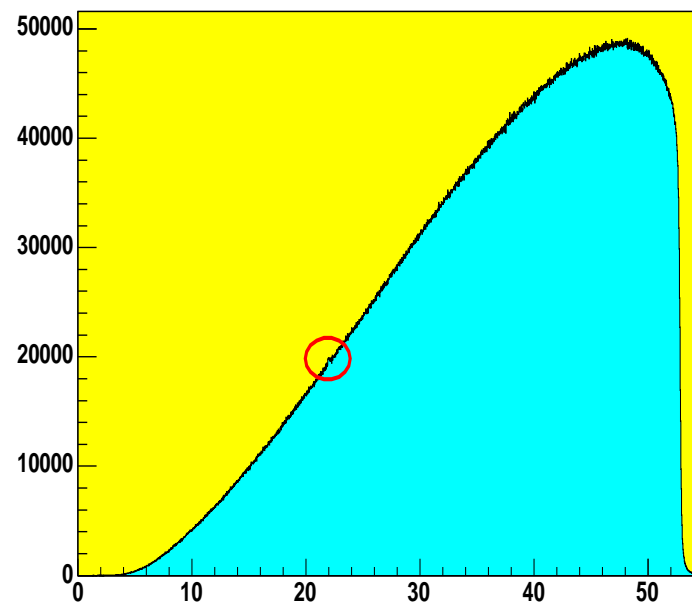
$$\mu^+ \rightarrow e^+ X^0$$

where  $X^0$  is an unknown boson mediating lepton flavor violation

- Assume the decay is isotropic.
- Assume the decay products are long lived.

If  $\tau \gg 2.8 \times 10^{-21}$  s the instrument response dominates the peak width.

Isotropic Peak Added to Michel Spectrum



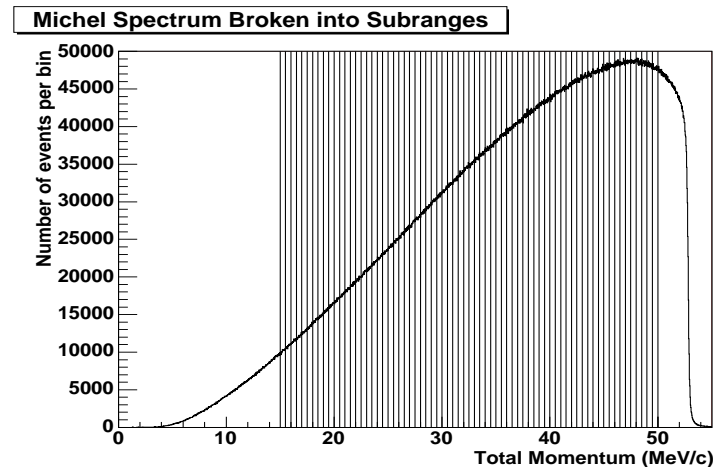
Branching ratio of shown peak:  $8.37 \times 10^{-6}$

We want a confidence interval for the branching ratio of all accessible particle masses.

Previous 90% upper limit on this process is  $3 \times 10^{-4}$  (Bryman 1986)

## Methodology for Our Search

- Divide momentum range into 70 subranges on the order of the momentum resolution.
- Fit the Michel spectrum plus a peak constrained to be within the each subrange.
- Define a confidence interval for the branching ratio corresponding to the peak.



## Fitting Function

$$f(p, \cos \theta) = N_\mu (F(p, \cos \theta; \rho, \eta, \xi, \delta) + \Gamma_{X^0} H(p; \bar{p}, \sigma(\bar{p}, \cos \theta)) \kappa(p, \cos \theta))$$

$F(p, \cos \theta; \rho, \eta, \xi, \delta)$  is the normal muon decay spectrum (Michel spectrum).

$H(p; \bar{p}, \sigma(\bar{p}, \cos \theta))$  represents the instrument response function

$\kappa(p, \cos \theta)$  represents the acceptance of the detector

Note that the parameters varied during the fit are

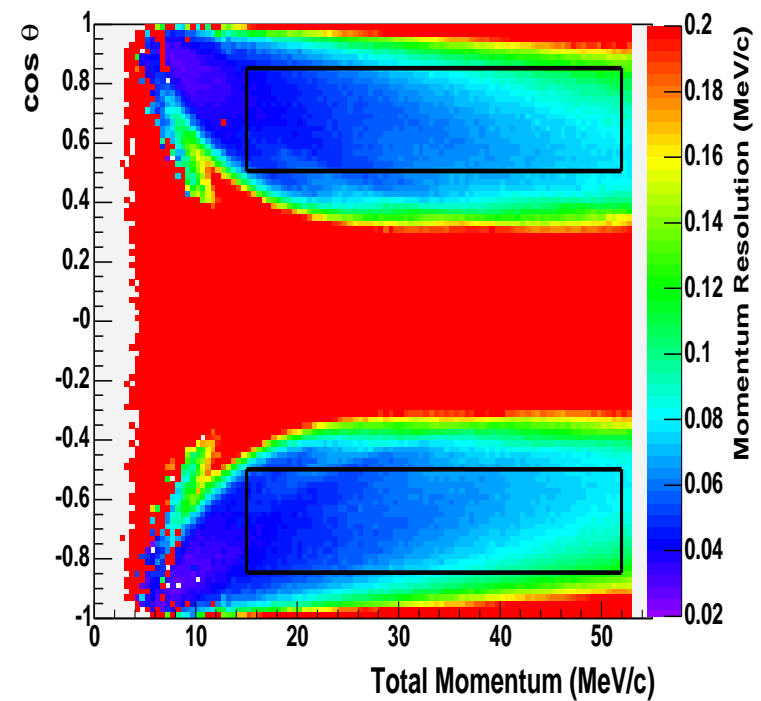
- The Michel Parameters;  $\rho, \eta, \xi, \delta$  and the normalization  $N_\mu$ .
- The mean peak momentum;  $\bar{p}$
- The branching ratio for the unknown particle;  $\Gamma_{X^0}$

This fitting method has been validated using Monte Carlo simulations.

## Defining the Resolution

Momentum resolution of the detector measured using Monte Carlo

- Directly compare thrown track momentum to the reconstructed momentum
- Resolution dependent on the momentum and the angle of the positron



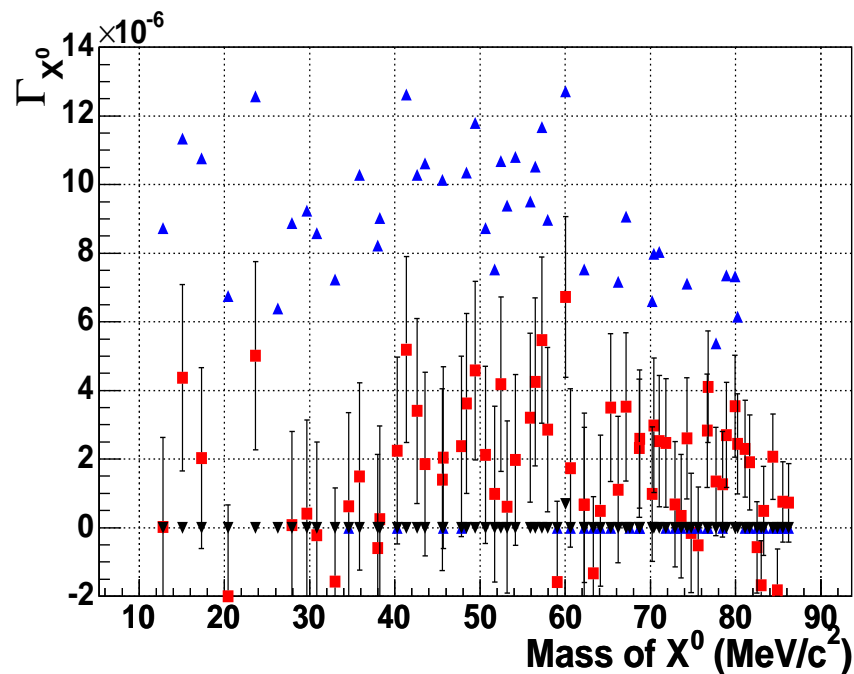


## Confidence Intervals

Definition: The interval that has a given probability of containing the real value of an experimentally determined parameter

- Classical Neyman (frequentist) intervals do not necessarily cover the required intervals correctly; can lead to non-physical answers in the case of small signals
- Feldman Cousins method: Requires no *a priori* assumption on whether we are defining a interval or an upper limit. By construction requires the interval to be physically bounded. Calculation of the confidence interval separated from the fitting procedure.

## Results



- Plot shows the branching ratios of 70 independent fits within fiducial range.
- Results indicate a 99% upper limit for the branching ratio on the order of  $10^{-5}$ .
- Plot represents a fifth of the total data available.

## Conclusions

- We can set a 99% upper limit for the branching ratio of a isotropic two body muon decay at a part in  $10^5$  for the available mass regime.
- No new statistically significant particles have been found so far.
- We can further restrict the branching ratio by using the full amount of data available from *TWIST* This should increase our sensitivity by a factor of  $\sqrt{5}$

## Acknowledgments

- This work funded by NSERC
- Data was analyzed in participation with Westgrid
- Special thanks go to Art Olin and Makoto Fujiwara