

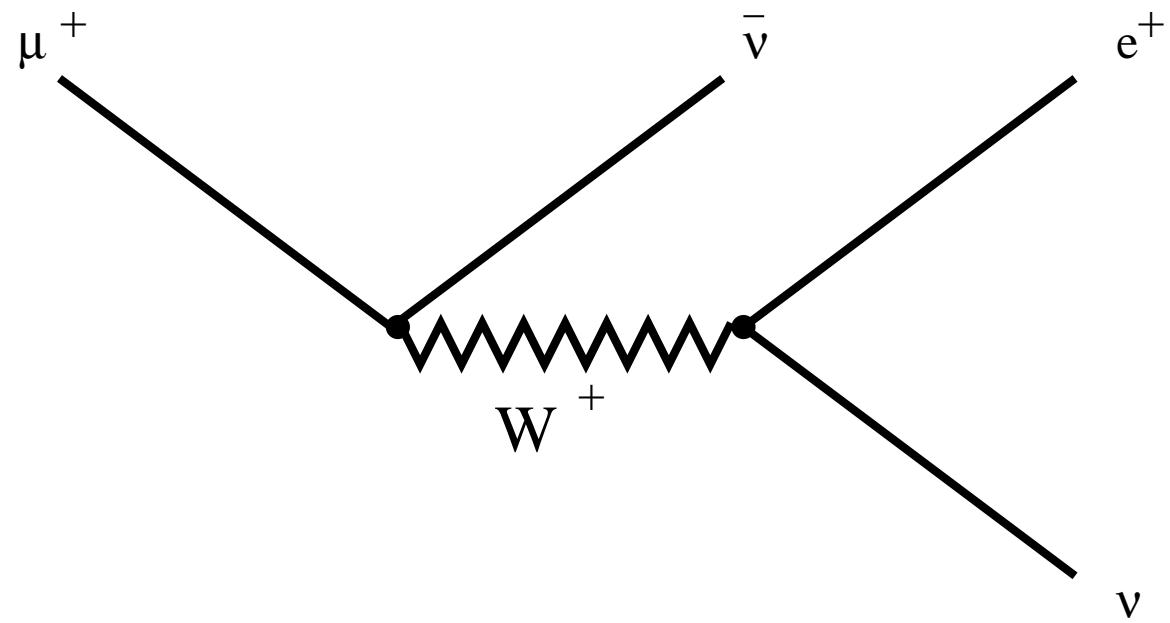
TRIUMF Weak Interaction Symmetry Test (TWIST)

Jim Musser

Texas A&M University

- Physics of μ^+ decay
- TWIST Detector
- Analysis
- Summary

Normal μ^+ decay



$$\frac{4G_F}{\sqrt{2}} \sum_{\gamma=S,V,T} \sum_{\epsilon,\mu=R,L} g_{\epsilon\mu}^\gamma \langle \bar{e}_\epsilon | \Gamma^\gamma | (\nu_e)_n \rangle \langle (\bar{\nu}_\mu)_m | \Gamma_\gamma | \mu_\mu \rangle$$

Muon Decay Distribution

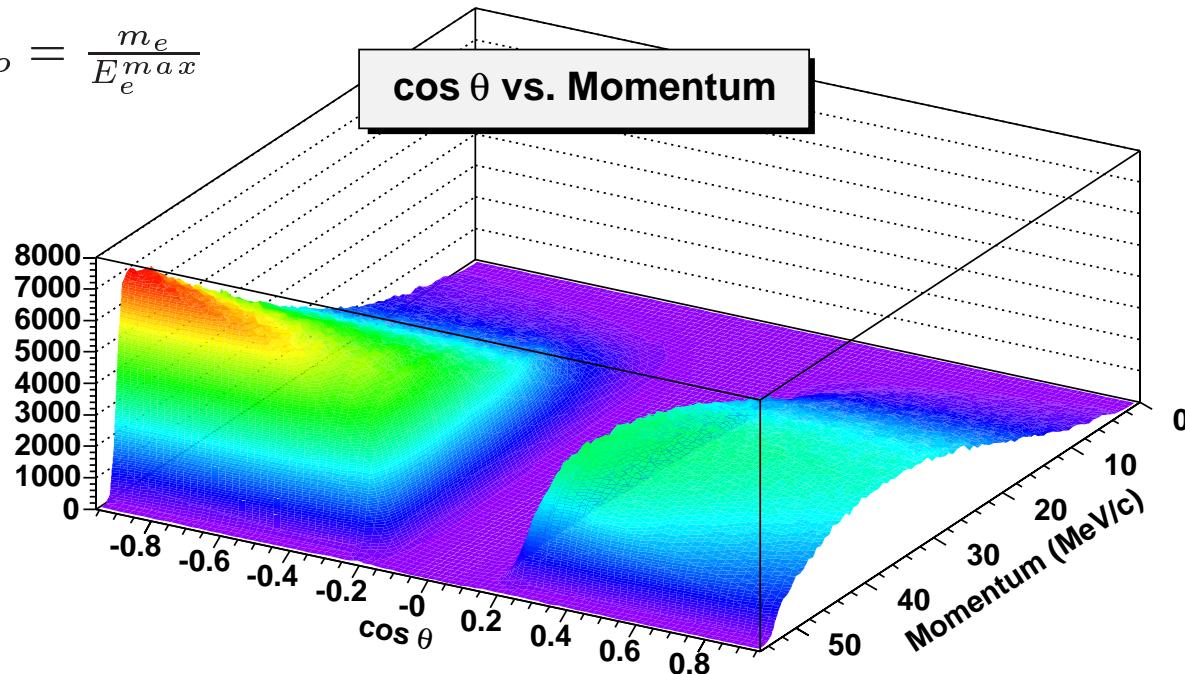
$$\frac{d^2\Gamma}{dxd(\cos\theta)} \propto x \left[F_{IS}(x, \rho, \eta) + P_\mu \cos\theta F_{AS}(x, \xi, \delta) \right]$$

$$F_{IS}(x, \rho, \eta) = (x - x^2) + \frac{2}{9}\rho(4x^2 - 3x) + \eta x_o(1 - x)$$

$$F_{AS}(x, \xi, \delta) = \frac{1}{3}\xi(x - x^2) + \frac{2}{9}\xi\delta(4x^2 - 3x)$$

$$x = \frac{E_e}{E_e^{max}}$$

$$x_o = \frac{m_e}{E_e^{max}}$$



Muon Decay Parameter Values

$$\rho = \frac{3}{4} - \frac{3}{4}|g_{LR}^V|^2 - \frac{3}{4}|g_{RL}^V|^2 - \frac{3}{2}|g_{LR}^T|^2 - \frac{3}{2}|g_{RL}^T|^2 - \frac{3}{4}Re\left[g_{LR}^S g_{LR}^{T*} + g_{RL}^S g_{RL}^{T*}\right]$$

Standard Model: $g_{LL}^V = 1$, all others are zero

Parameter	Standard Model	World Average	(Year)
ρ	$\frac{3}{4}$	0.7518 ± 0.0026	(1969)
η	0	-0.007 ± 0.013	(1985)
ξ	1	$(P_\mu \xi) 1.0027 \pm 0.0079 \pm 0.0030$	(1987)
δ	$\frac{3}{4}$	$0.7486 \pm 0.0026 \pm 0.0028$	(1988)
$\frac{P_\mu \xi \delta}{\rho}$	1	$> 0.99682 \quad 90\% \text{ CL}$	(1986)

Standard Model Extensions

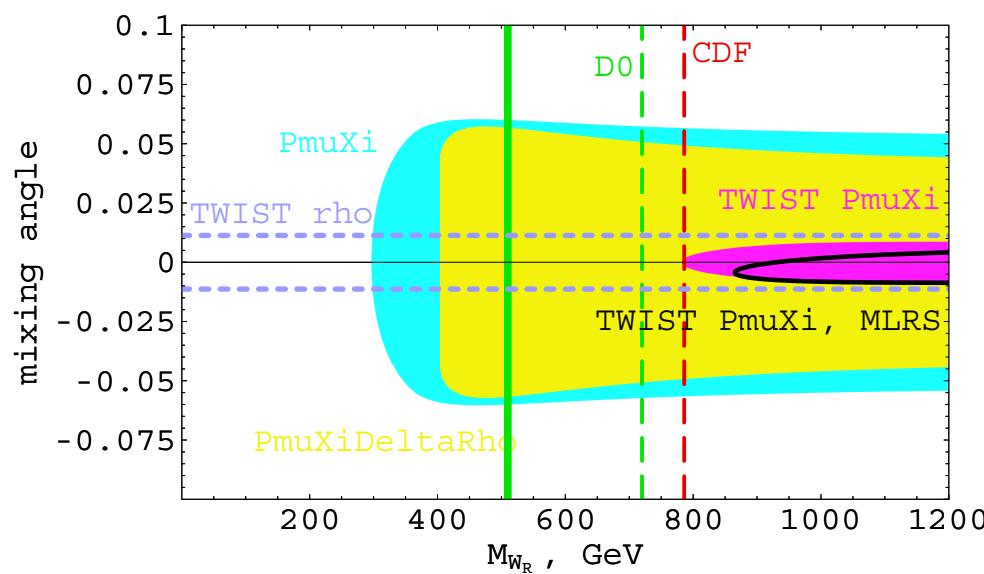
Example: Left-Right Symmetric Models

$$W_L = W_1 \cos \zeta - W_2 \sin \zeta \quad W_R = e^{i\omega} (W_1 \sin \zeta + W_2 \cos \zeta)$$

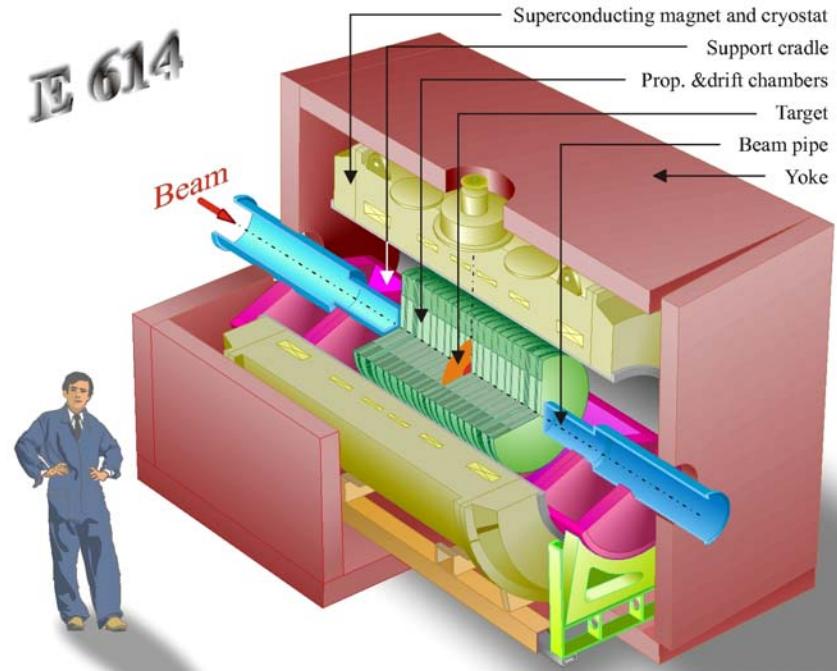
$$\epsilon = \frac{M_1^2}{M_2^2} < 1$$

$$\zeta = \sqrt{\frac{1}{2} - \frac{2}{3}\rho}$$

$$\epsilon = \sqrt{\frac{2}{3}\rho - \frac{1}{2}\xi}$$

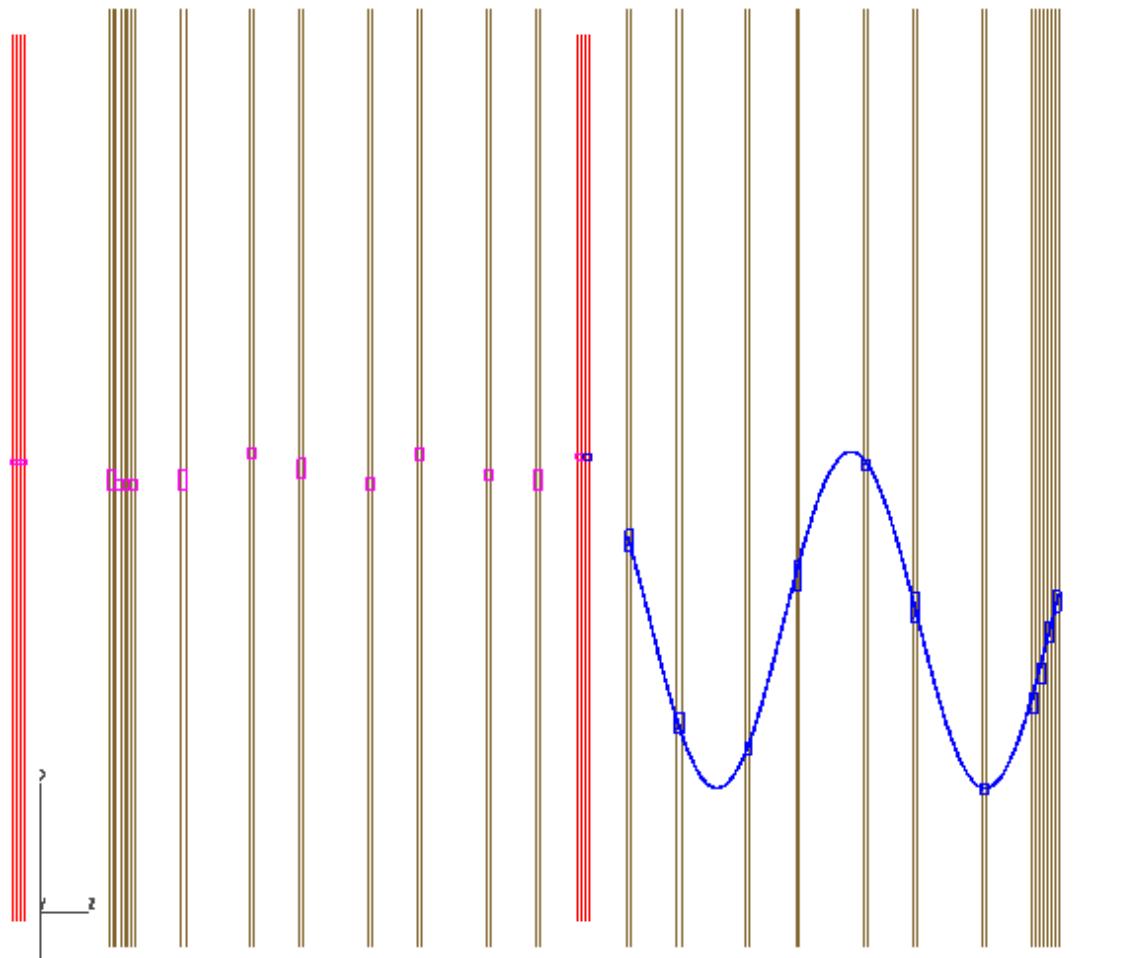


E 614



- 44 drift chambers and 12 multiwire proportional chambers
- Thin – only $\sim 5 \times 10^{-5} X_0$ per chamber
- ~ 5000 wires positioned with $\sim 3\mu m$ accuracy
- Longitudinal and transverse distances known to < 5 parts in 10^5 .

Muon Decay Event



Analysis

- Data was collected in fall, 2002 for measurements of ρ and δ .
- Each data set has $\sim 6 \times 10^7$ events within the fiducial volume, sufficient for a statistical precision of better than a part in 10^3 .
- Data will be fit with Monte Carlo generated spectra.

$$\left[\frac{d^2\Gamma}{dxd(\cos\theta)} \right]_{Data} = N \left\{ \left[\frac{d^2\Gamma}{dxd(\cos\theta)} \right]_{(\rho_o, \eta_o, \delta_o, \xi_o)} \right. \\ \left. + \sum_{\alpha \in \{\rho, \eta, \delta, \xi\}} \frac{\partial}{\partial \alpha} \left[\frac{d^2\Gamma}{dxd(\cos\theta)} \right]_{(\rho_o, \eta_o, \delta_o, \xi_o)} \Delta \alpha \right\}$$

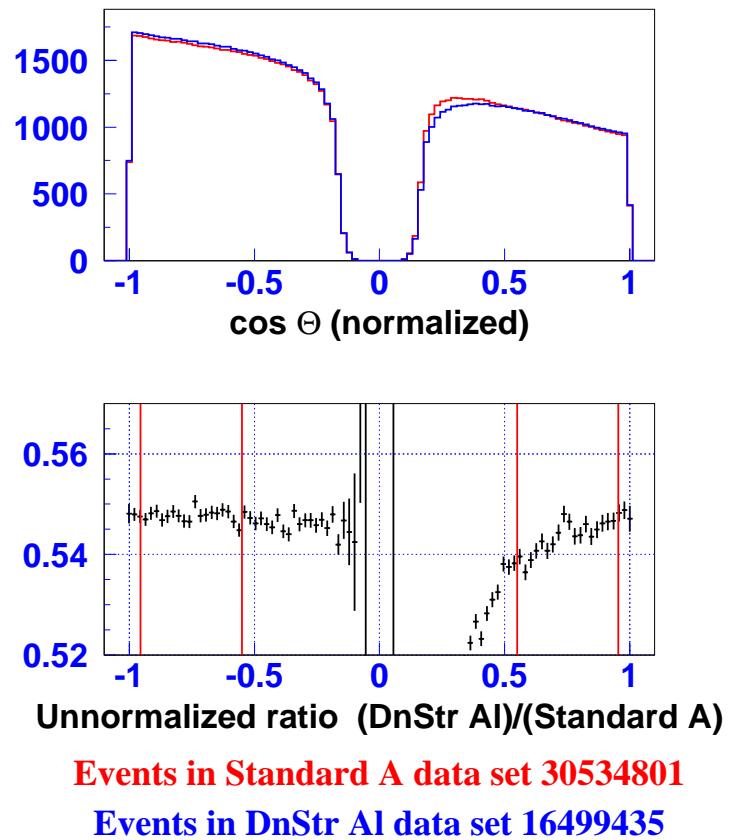
Evaluating Systematic Errors

Methodology: Exaggerate possible sources of error and measure the effect on the fit of the decay parameters.

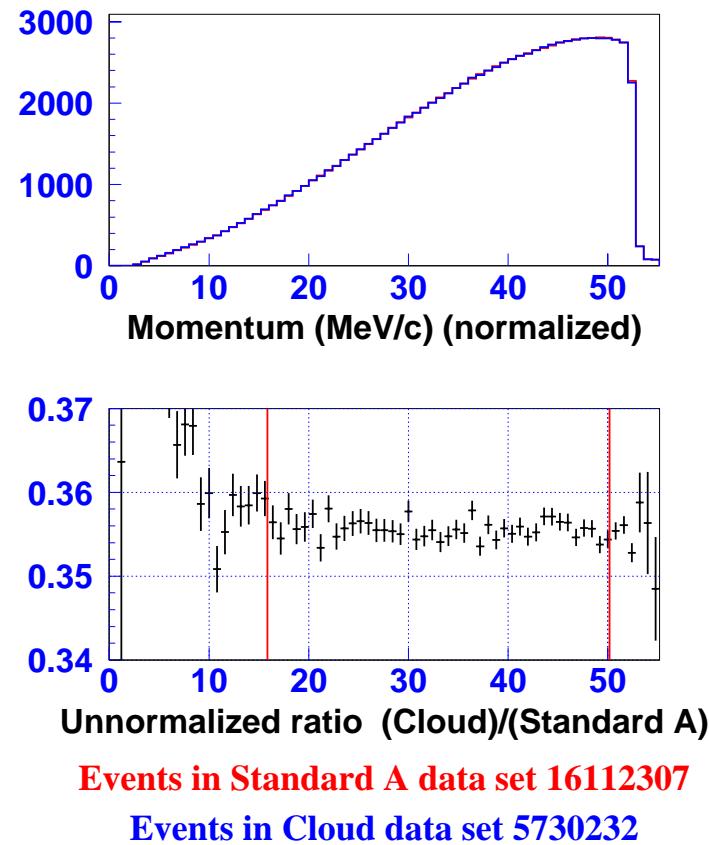
Systematic Data Sets (Each a full data set)

- Drift chamber **high voltage** reduced by 50V and 100V–drift chamber efficiencies
- Proportional chamber **high voltage** reduced by 50V and 100V–proportional chamber efficiencies
- Different chamber gas density– μ^+ stopping position
- Various μ^+ trigger rates–separation of time overlapped events
- Different μ^+ polarization–upstream/downstream asymmetries
- Different beam e^+ rate–separation of extra particles
- Modified M13 beamline steering–transport of polarization and stopping position
- Aluminum and lucite installed downstream–effect of scintillator package
- Slightly upstream and downstream μ^+ stops– e^+ interactions in target
- Field varied by $\pm 2\%$ –energy calibration

DnStr AI vs. Standard A



Cloud vs. Standard A



Summary

- The TWIST measurements will improve the limits on various extensions to the Standard Model
- TWIST has the opportunity to observe physics beyond the Standard Model
- The data has been taken for measurements of ρ and δ with statistical precision of better than a part in 10^3
- Full data sets have been taken to study a variety of possible sources of systematic errors
- Analysis of the data is underway

Right-handed Content of the Muon

The probability that the muon is right-handed, Q_R^μ , can be expressed as

$$\begin{aligned} Q_R^\mu &= \frac{1}{4}|g_{RR}^S|^2 + \frac{1}{4}|g_{LR}^S|^2 + |g_{RR}^V|^2 + |g_{LR}^V|^2 + 3|g_{LR}^T|^2 \\ &= \frac{1}{2} \left[1 + \frac{1}{9}(3\xi - 16\xi\delta) \right] \end{aligned}$$

(W. Fetscher and H.-J. Gerber)

Left/Right Symmetric Model Exclusion Plot

